

# MIN STRATEGY

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## MIN STRATEGY

**Primary Disciplinary Field(s):** Developmental Psychology, Mathematics Education, Cognitive Science

### 1. Core Definition and Mechanism

The **Min Strategy** is a foundational mathematical strategy employed by children, typically in the early stages of primary arithmetic learning, to solve simple addition problems. It is categorized as a transitional mental arithmetic technique that bridges the gap between inefficient counting methods and direct memory retrieval. Fundamentally, the strategy requires the child to identify the minimum number of steps necessary to reach the solution, thus streamlining the counting process.

The mechanism involves two primary cognitive operations. First, when presented with an addition problem (e.g.,  $3 + 9$ ), the child mentally selects the larger addend (9) and holds it as the starting point. Second, the child then incrementally counts on the number of units specified by the smaller addend (3). The process is often verbalized internally: "Nine... ten, eleven, twelve." This approach minimizes the total number of counting increments required, thereby reducing the time taken and the potential for error compared to earlier methods, such as the **Counting All** strategy, where a child would start counting from one and count all items (1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12).

Although the source material defines the strategy as counting incrementally from the **lowest integer**, in professional literature, the efficient Min Strategy is synonymous with counting on from the **maximum addend** to ensure maximal efficiency. The critical insight derived from the strategy is that the child recognizes the commutative property of addition, understanding that the sum remains constant regardless of the order of the addends. This cognitive realization allows the child to strategically restructure the problem to minimize working memory demands. Therefore, the selection of the "minimum" refers not to the starting number, but to the minimized steps required for the secondary counting process, making it a critical step toward arithmetic fluency.

### 2. Developmental Context and Cognitive Load

The acquisition of the **Min Strategy** marks a significant cognitive milestone in a child's mathematical development. It typically emerges after the child has mastered the most rudimentary counting techniques, known as the **Counting All** strategy, which relies heavily on external aids or finger counting. The Min Strategy demonstrates a shift towards internalized, abstract thought and efficient strategy selection, indicating a more advanced understanding of number relationships.

From a Cognitive Load perspective, the Min Strategy is highly adaptive. When solving  $2 + 10$ , the Counting All method requires holding 12 discrete counting steps in memory, whereas the Min Strategy requires holding the number 10 (the base) and only executing two steps (11, 12). This

substantial reduction in the demand placed on the working memory system frees up cognitive resources. This strategic reduction in steps allows the child to focus on monitoring the accuracy of the count rather than simply maintaining the count sequence, accelerating the transition from procedural knowledge to conceptual understanding.

The reliable and spontaneous use of this method demonstrates that the child possesses a robust **number sense**. They can decompose and recompose numbers flexibly and recognize that addition problems are solved most efficiently by leveraging the size of the known quantities. The developmental trajectory usually sees children first use Counting All, then transitional strategies (like counting on from the first number given, regardless of size), and finally, the optimal Min Strategy. The consistent selection of the Min Strategy suggests the establishment of a mental cost-benefit analysis concerning arithmetic problem-solving.

### 3. Etymology and Research History

The systematic study and identification of the Min Strategy date back to foundational research in cognitive psychology and mathematics education in the 1970s. Prior to this period, models of arithmetic processing often assumed a uniform counting procedure or direct retrieval. Seminal work, particularly by researchers like Groen and Parkman (1972), utilized reaction time studies to deduce the underlying mental algorithms employed by children.

By measuring the time it took children to solve various addition problems, researchers found a pattern consistent with the Min Strategy. Specifically, they noted that the reaction time was linearly related not to the sum of the two addends (which would be the case for Counting All), but rather to the size of the smaller addend. This empirical finding provided strong evidence that children were not counting both numbers but were starting with the larger number and counting on the smaller number of steps, thus minimizing the counting process. This led to the formal labeling and acceptance of the "Min Strategy" as a distinct and measurable cognitive process.

The historical importance of identifying the Min Strategy lies in its validation of the notion that children are active, strategic learners who spontaneously develop and select efficient strategies based on performance outcomes. This research shifted the focus of mathematics education away from rote memorization and toward the development of strategic problem-solving skills, fundamentally altering curriculum design in early arithmetic.

### 4. Comparison to Other Addition Strategies

The **Min Strategy** stands as a benchmark for efficiency among procedural counting methods, offering a clear advantage over less sophisticated approaches. The primary point of comparison is the **Counting All** strategy, where every unit in both sets is recounted from 1. For example, solving  $4 + 5$  using Counting All requires nine steps (1, 2, 3, 4, 5, 6, 7, 8, 9). Using the Min Strategy, the

child starts at 5 and counts four increments (6, 7, 8, 9), dramatically reducing the potential for lapses in concentration or counting errors.

A variation, sometimes confused with the Min Strategy, is the inefficient **Count On from First Addend** strategy (COFA). In COFA, the child simply counts on from the first number presented, regardless of its size. If the problem is presented as  $2 + 10$ , the COFA user starts at 2 and counts 10 steps (3, 4, 5... 12). If presented as  $10 + 2$ , the COFA user is performing the Min Strategy efficiently. The defining characteristic of the true Min Strategy is the internal recognition that the most efficient count always begins with the larger addend, irrespective of the problem's presentation order, distinguishing it as a strategic choice rather than a superficial procedural adherence.

Ultimately, all counting strategies, including the Min Strategy, are superseded by **Direct Retrieval** (or Fact Retrieval), where the child recalls the sum from memory instantly without requiring any calculation steps. The Min Strategy is therefore critical as it provides the repeated practice necessary for these facts (e.g.,  $9 + 3 = 12$ ) to become highly accessible and eventually transition into long-term memory, facilitating automatic recall. It functions as the training ground for arithmetic fact mastery.

## 5. Pedagogical Implications

Understanding the **Min Strategy** is essential for effective early mathematics pedagogy. Educators are encouraged to actively guide children away from the inefficient Counting All method toward strategic counting. Teaching often involves modeling the efficiency gains of starting with the larger number, often using visual aids or manipulatives initially to demonstrate the concept of addition commutation.

Instructional techniques focus on encouraging reflective monitoring. Teachers might present problems in a non-optimal order (e.g.,  $1 + 8$ ) and ask children which number they should start with and why, prompting them to articulate the efficiency gains. This reflective practice helps solidify the underlying conceptual understanding that makes the Min Strategy a conscious choice rather than a random procedure. Curricula that emphasize the development of **mental math** skills heavily rely on facilitating the transition to the Min Strategy before moving onto decomposition strategies (e.g., making 10).

Furthermore, the strategy's identification helps teachers diagnose specific learning difficulties. A child who consistently uses the Counting All strategy long after peers have transitioned to the Min Strategy may be struggling with working memory limitations, difficulties recognizing the commutative property, or challenges in inhibiting the less efficient, established counting pattern. Appropriate interventions can then be tailored to address these underlying cognitive or conceptual deficits.

## 6. Empirical Evidence and Measurement

Empirical evidence supporting the pervasive use of the **Min Strategy** is overwhelming and has been generated primarily through two major methods: reaction time analysis and verbal protocol analysis. Reaction time studies, as pioneered in the 1970s, remain the most common method. By plotting the solution time against the smaller addend, researchers consistently observe a linear relationship with a positive slope, confirming that the solution duration is proportional to the number of steps counted from the larger addend.

**Verbal protocol analysis** involves asking children to "think aloud" while solving problems. When children explicitly state, "I start with the big one and count the little one," this directly confirms the conscious deployment of the Min Strategy. While reaction time studies provide strong inferential evidence of efficiency, verbal protocols offer direct evidence of the strategy selection process, though researchers must account for potential discrepancies between conscious reporting and actual underlying computation.

Cross-cultural studies have also demonstrated the universality of the Min Strategy. Children in diverse educational systems, learning different languages and numeral systems, reliably invent or adopt this strategy because it represents the optimal path for procedural counting. This universality underscores the strategy's reliance on fundamental human cognitive mechanisms for minimizing load, cementing its status as a robust feature of arithmetic development across various linguistic and pedagogical contexts.

## 7. Criticisms and Limitations

While the **Min Strategy** represents an advancement in arithmetic efficiency, it is not without limitations. The most critical constraint is that it remains a procedural counting method, which is inherently slower and more susceptible to error than **Fact Retrieval**. Reliance on the Min Strategy beyond the early elementary years can hinder a child's overall mathematical speed and fluency, making complex multi-step problems significantly more arduous due to the compounded time required for each individual addition step.

Another limitation is its restricted applicability. The strategy is designed specifically for addition; it cannot be directly applied to more complex operations such as multiplication (where repeated addition is necessary) or algebraic tasks. Furthermore, the reliance on working memory, although minimized compared to Counting All, still presents challenges for children with diagnosed specific learning disabilities, particularly those impacting short-term memory capacity. These students may still struggle to hold the larger addend in mind while accurately tracking the incremental count.

Finally, some critics argue that the intense focus on promoting the Min Strategy might inadvertently prioritize efficiency over conceptual depth. If children are taught the Min Strategy as a rote trick

without fully grasping the commutative property and the underlying principles of number magnitude, their conceptual foundation may be fragile. Therefore, successful instruction requires balancing the encouragement of efficient procedural strategies with the reinforcement of deep conceptual understanding.

### Further Reading

[Counting on \(Min Strategy\)](#)

[Developmental psychology](#)

[Arithmetic fluency](#)

[Cognitive load theory](#)

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