

# How to Calculate Standardized Residuals in R?

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December 14, 2025

## RECOMMENDED CITATION

stats writer (2025). *How to Calculate Standardized Residuals in R?*. PSYCHOLOGICAL SCALES. Retrieved from <https://scales.arabpsychology.com/?p=107473>

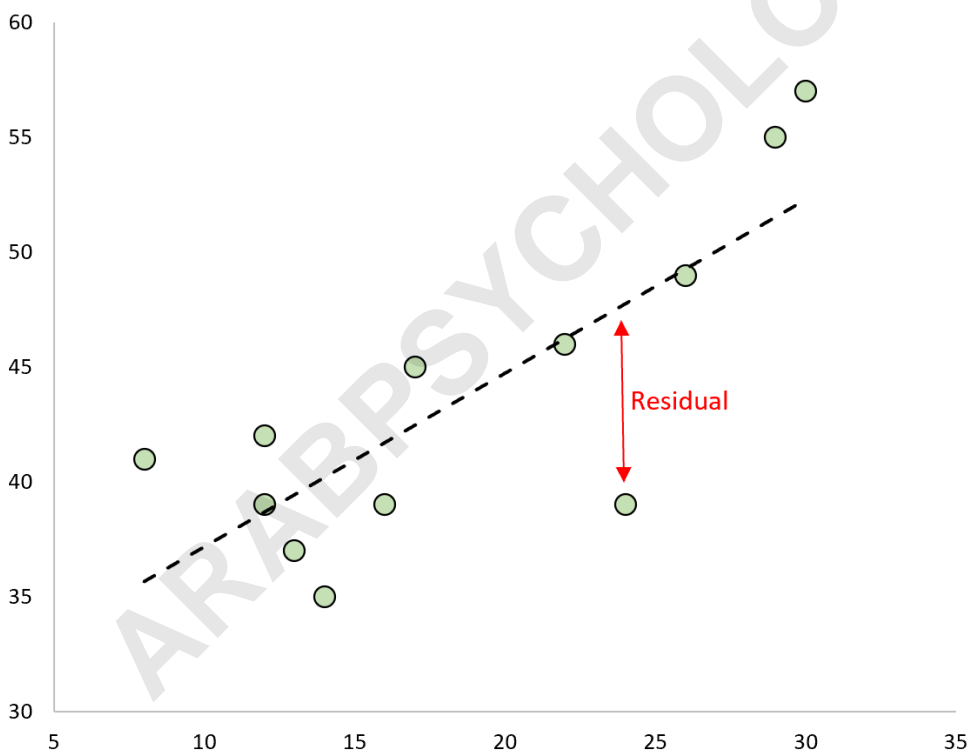
Standardized residuals are a way to measure how far away from the expected value a given observation is. In R, standardized residuals can be calculated using the `resid()` function. This function takes a model object and the data used to fit the model as input and returns the standardized residuals for each observation as output. This allows us to easily measure how far off the expected values our observations are.

A **residual** is the difference between an observed value and a predicted value in a regression model.

It is calculated as:

**Residual = Observed value - Predicted value**

If we plot the observed values and overlay the fitted regression line, the residuals for each would be the vertical distance between the observation and the regression line:



One type of residual we often use to identify outliers in a regression model is known as a **standardized residual**.

It is calculated as:

$$r_i = e_i / s(e_i) = e_i / RSE \sqrt{1-h_{ii}}$$

where:

**$e_i$** : The  $i$ th residual

**RSE**: The residual standard error of the model

**$h_{ii}$** : The leverage of the  $i$ th observation

In practice, we often consider any standardized residual with an absolute value greater than 3 to be an outlier.

This tutorial provides a step-by-step example of how to calculate standardized residuals in R.

## Step 1: Enter the Data

First, we'll create a small dataset to work with in R:

```
#create data
```

```
data <- data.frame(x=c(8, 12, 12, 13, 14, 16, 17, 22, 24, 26, 29, 30),  
y=c(41, 42, 39, 37, 35, 39, 45, 46, 39, 49, 55, 57))
```

```
#view data
```

```
data
```

```
x y
```

```
1 8 41
```

```
2 12 42
```

```
3 12 39
```

```
4 13 37
```

```
5 14 35
```

```
6 16 39
```

```
7 17 45
```

```
8 22 46
```

```
9 24 39
```

```
10 26 49
```

```
11 29 55
```

```
12 30 57
```

## Step 2: Fit the Regression Model

Next, we'll use the **lm()** function to fit a :

```
#fit model
```

```
model <- lm(y ~ x, data=data)
```

```
#view model summary
```

```
summary(model)
```

```
Call:
```

```
lm(formula = y ~ x, data = data)
```

```
Residuals:
```

```
Min 1Q Median 3Q Max
```

```
-8.7578 -2.5161 0.0292 3.3457 5.3268
```

```
Coefficients:
```

```
Estimate Std. Error t value Pr(>|t|)
```

```
(Intercept) 29.6309 3.6189 8.188 9.6e-06 ***
```

```
x 0.7553 0.1821 4.148 0.00199 **
```

```
---
```

```
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 4.442 on 10 degrees of freedom
```

```
Multiple R-squared: 0.6324, Adjusted R-squared: 0.5956
```

```
F-statistic: 17.2 on 1 and 10 DF, p-value: 0.001988
```

### Step 3: Calculate the Standardized Residuals

Next, we'll use the built-in `rstandard()` function to calculate the standardized residuals of the model:

```
#calculate the standardized residuals
```

```
standard_res <- rstandard(model)
```

```
#view the standardized residuals
```

```
standard_res
```

```
1 2 3 4 5 6
```

```
1.40517322 0.81017562 0.07491009 -0.59323342 -1.24820530 -0.64248883
```

```
7 8 9 10 11 12
```

```
0.59610905 -0.05876884 -2.11711982 -0.06655600 0.91057211 1.26973888
```

We can add the standardized residuals back to the original data frame if we'd like:

```
#column bind standardized residuals back to original data frame
```

```
final_data <- cbind(data, standard_res)
```

```
#view data frame
```

```
x y standard_res  
1 8 41 1.40517322  
2 12 42 0.81017562  
3 12 39 0.07491009  
4 13 37 -0.59323342  
5 14 35 -1.24820530  
6 16 39 -0.64248883  
7 17 45 0.59610905  
8 22 46 -0.05876884  
9 24 39 -2.11711982  
10 26 49 -0.06655600  
11 29 55 0.91057211  
12 30 57 1.26973888
```

We can then sort each observation from largest to smallest according to its standardized residual to get an idea of which observations are closest to being outliers:

```
#sort standardized residuals descending
```

```
final_data
```

```
x y standard_res  
1 8 41 1.40517322  
12 30 57 1.26973888  
11 29 55 0.91057211  
2 12 42 0.81017562  
7 17 45 0.59610905  
3 12 39 0.07491009  
8 22 46 -0.05876884  
10 26 49 -0.06655600  
4 13 37 -0.59323342  
6 16 39 -0.64248883  
5 14 35 -1.24820530  
9 24 39 -2.11711982
```

From the results we can see that none of the standardized residuals exceed an absolute value of

3. Thus, none of the observations appear to be outliers.

### Step 4: Visualize the Standardized Residuals

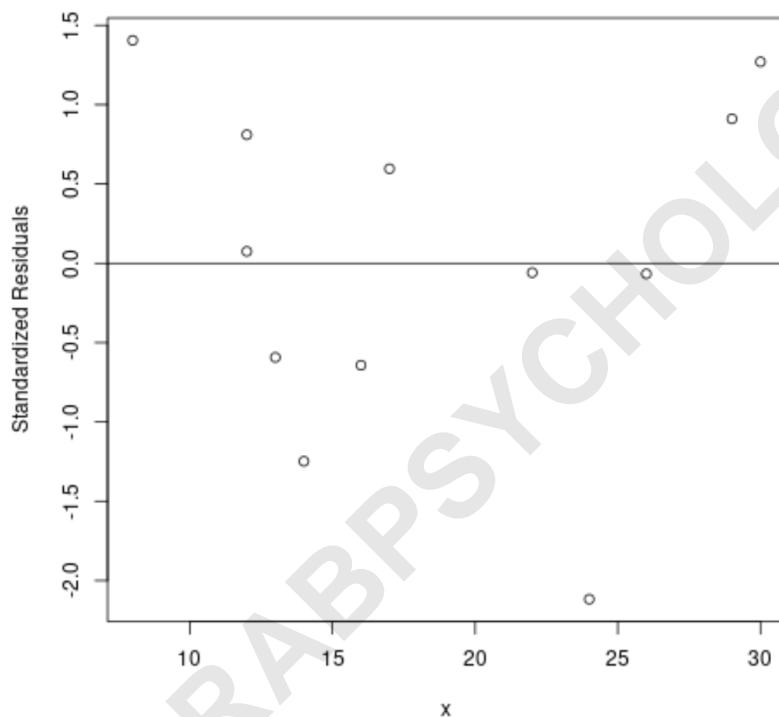
Lastly, we can create a scatterplot to visualize the values for the predictor variable vs. the standardized residuals:

```
#plot predictor variable vs. standardized residuals
```

```
plot(final_data$x, standard_res, ylab='Standardized Residuals', xlab='x')
```

```
#add horizontal line at 0
```

```
abline(0, 0)
```



What Are Standardized Residuals?