

# How to Calculate the Interquartile Range (IQR) in SPSS: A Step-by-Step Guide

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The calculation of the Interquartile Range (IQR) is a fundamental procedure in statistics, providing a robust measure of data dispersion, often preferred over measures like standard deviation when data is skewed or contains extreme outliers. In the context of SPSS (Statistical Package for the Social Sciences), determining the IQR requires navigating the **Analyze** menu to access the appropriate statistical procedures. While a basic descriptive analysis might yield some summary statistics, the most reliable and efficient way to extract the specific 25th percentile (Q1) and 75th percentile (Q3) values needed for the IQR calculation is by utilizing the **Explore** function within the **Descriptive Statistics** suite. This process ensures that you generate output tables containing all necessary components for precise IQR determination, which is mathematically defined as the difference between Q3 and Q1. This detailed guide outlines the exact, step-by-step methodology to calculate the IQR for any dataset loaded into SPSS, ensuring accuracy and full compliance with standard statistical practice.

## Understanding the Interquartile Range (IQR)

The interquartile range is a crucial concept in descriptive statistics, offering insight into the spread of the central portion of a dataset. Specifically, the **interquartile range** represents the spread of the middle 50% of values, effectively mitigating the influence of extreme values found in the tails of the distribution. This measure of dispersion is defined as the absolute difference between the third quartile (Q3) and the first quartile (Q1). Q1 represents the value below which 25% of the observations fall, while Q3 represents the value below which 75% of the observations fall. Therefore, the distance between these two points provides a measure of variability for the data points clustered around the median.

Unlike the overall range (maximum value minus minimum value), which is highly sensitive to outliers, the IQR provides a more stable and reliable estimate of statistical dispersion. Statisticians frequently employ the IQR to identify potential outliers--data points that fall below Q1 minus 1.5 times the IQR, or above Q3 plus 1.5 times the IQR. Understanding the fundamental conceptual basis for the IQR is essential before proceeding to the practical calculation steps within specialized software like **SPSS**. When running analyses, the **Explore** command in SPSS is specifically tailored to generate the required quartile values, making it the preferred command for this task rather than simpler descriptive commands that might only provide mean, median, and standard deviation.

## Selecting the Correct SPSS Procedure

To accurately compute the interquartile range in SPSS, the most streamlined and effective path involves utilizing the **Analyze** menu structure. Although the standard **Descriptives** option might seem intuitive, it typically does not automatically output the specific quartile values necessary for the calculation. Instead, the correct sequence is **Analyze > Descriptive Statistics > Explore**. The

Explore procedure is designed to provide comprehensive data examination, including measures of central tendency, dispersion, normality tests, and crucially, specific percentiles. By selecting this path, the user gains access to dialogue boxes that allow explicit instruction to calculate the quartiles, thereby ensuring that the resulting output table includes Q1 (25th percentile) and Q3 (75th percentile). This approach guarantees the easiest extraction of the component values required to define the range of the central fifty percent of the data.

Using the **Explore** function is vital because it manages various methods of calculating percentiles, although typically SPSS uses the weighted average method (Tukey's Hinges) or similar algorithms for quartile estimation, ensuring statistical rigor. The versatility of the Explore function means that along with the IQR components, you also receive boxplots and stem-and-leaf plots, which are invaluable tools for visual data inspection and outlier identification. Therefore, for robust analysis in **SPSS**, especially when seeking distribution characteristics beyond basic summaries, the choice of the **Explore** function over basic **Descriptives** or **Frequencies** is non-negotiable for obtaining the IQR components.

### Example: Data Preparation and Setup

To illustrate the process of calculating the Interquartile Range, let us assume we have a simple dataset loaded into SPSS. This hypothetical dataset consists of the final exam scores received by various students in an introductory course. The dataset, visible in the Data View window of SPSS, is labeled **Exam\_Score**, and it contains several numerical observations. Before initiating the analysis, ensure that your variable is defined correctly as a numeric variable in the Variable View tab, as statistical calculations rely on correct data type definitions.

Suppose our data looks like the representation below. We aim to determine the IQR for these exam scores to understand the typical performance spread among the students, excluding any exceptionally high or low scores that might skew the overall range. This initial data setup is the foundation upon which all subsequent analytical steps rely, confirming that the data is ready for processing.

	Student_ID	Exam_Score	var	var	
1	1	88			
2	2	95			
3	3	92			
4	4	97			
5	5	96			
6	6	97			
7	7	94			
8	8	86			
9	9	91			
10	10	95			
11	11	97			
12	12	88			
13	13	85			
14	14	76			
15	15	68			
16					
17					
18					
19					

The goal is to analyze the variable **Exam\_Score** using the appropriate commands to retrieve the 25th and 75th percentiles. Once these values are successfully extracted, the final step of the procedure will involve a simple subtraction to yield the IQR.

### Initiating the Calculation Procedure

Once the dataset is ready and the target variable (**Exam\_Score**) is identified, the next step involves initiating the analytical procedure through the SPSS menu system. This involves a precise sequence of clicks to open the necessary dialogue box that manages exploratory data analysis settings. This procedure is uniform across most versions of SPSS Statistics, guaranteeing consistency in workflow.

The steps are as follows:

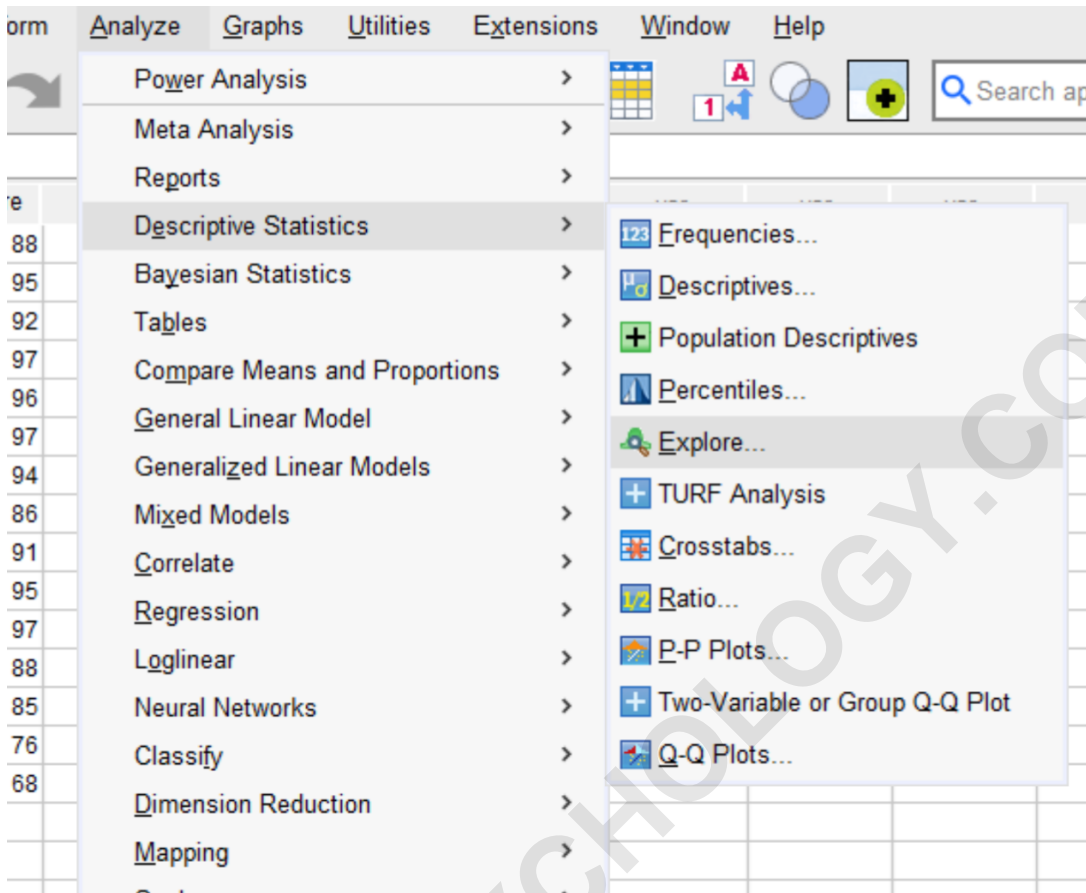
Click the **Analyze** tab located in the top menu bar of the SPSS window.

Hover over or click **Descriptive Statistics** in the dropdown menu.

Select **Explore...** from the subsequent submenu.

This sequence opens the primary **Explore** dialogue box, which is the control center for configuring the IQR calculation. Successful navigation to this dialogue box is crucial as it allows the user to

define the variable of interest and specify the exact statistics required for the output.



The **Explore** dialogue box presents several panels, requiring the user to allocate the chosen variable correctly. The **Exam\_Score** variable must be moved into the **Dependent List**, signaling to SPSS that this is the variable whose distribution and descriptive measures, including the required quartiles, are to be analyzed.

## Configuring the Explore Dialogue Box

Upon opening the **Explore** dialogue box, the main objective is to assign the variable of interest and ensure that the necessary statistical options, particularly those related to percentiles, are activated. This configuration is critical for generating output that explicitly contains the Q1 and Q3 values.

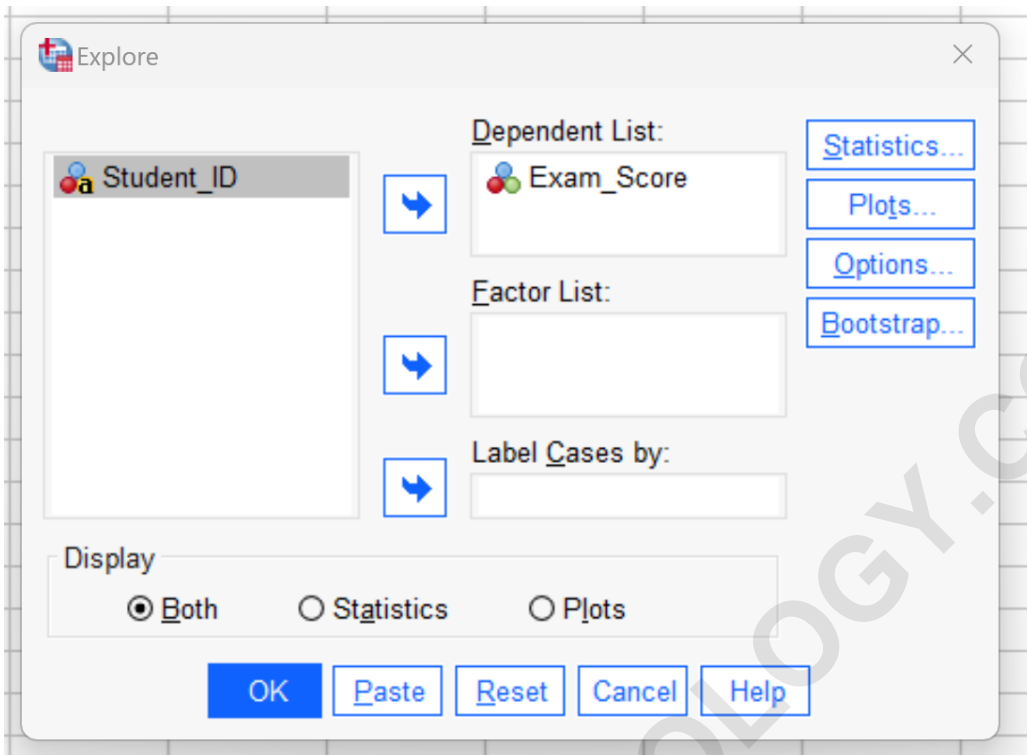
Follow these configuration steps:

Locate the **Exam\_Score** variable in the variable list on the left side of the dialogue box.

Select the variable and move it into the **Dependent List** panel using the arrow button. This step designates the variable for analysis.

Click the **Statistics...** button, which opens a secondary dialogue window dedicated to selecting

specific descriptive output.



In the subsequent **Explore: Statistics** window, while the standard **Descriptives** option is usually checked by default, it is imperative to also check the box labeled **Percentiles**. Checking **Percentiles** instructs **SPSS** to calculate not just the basic summaries but also the specific division points (like quartiles) that segment the data distribution. Furthermore, within this statistics window, there might be options to select the specific method of percentile calculation (like Tukey's Hinges or standard empirical percentiles), depending on the version of **SPSS** you are using. Ensuring that the **Percentiles** option is activated is the definitive action that guarantees the Q1 and Q3 values will appear in the final output table.

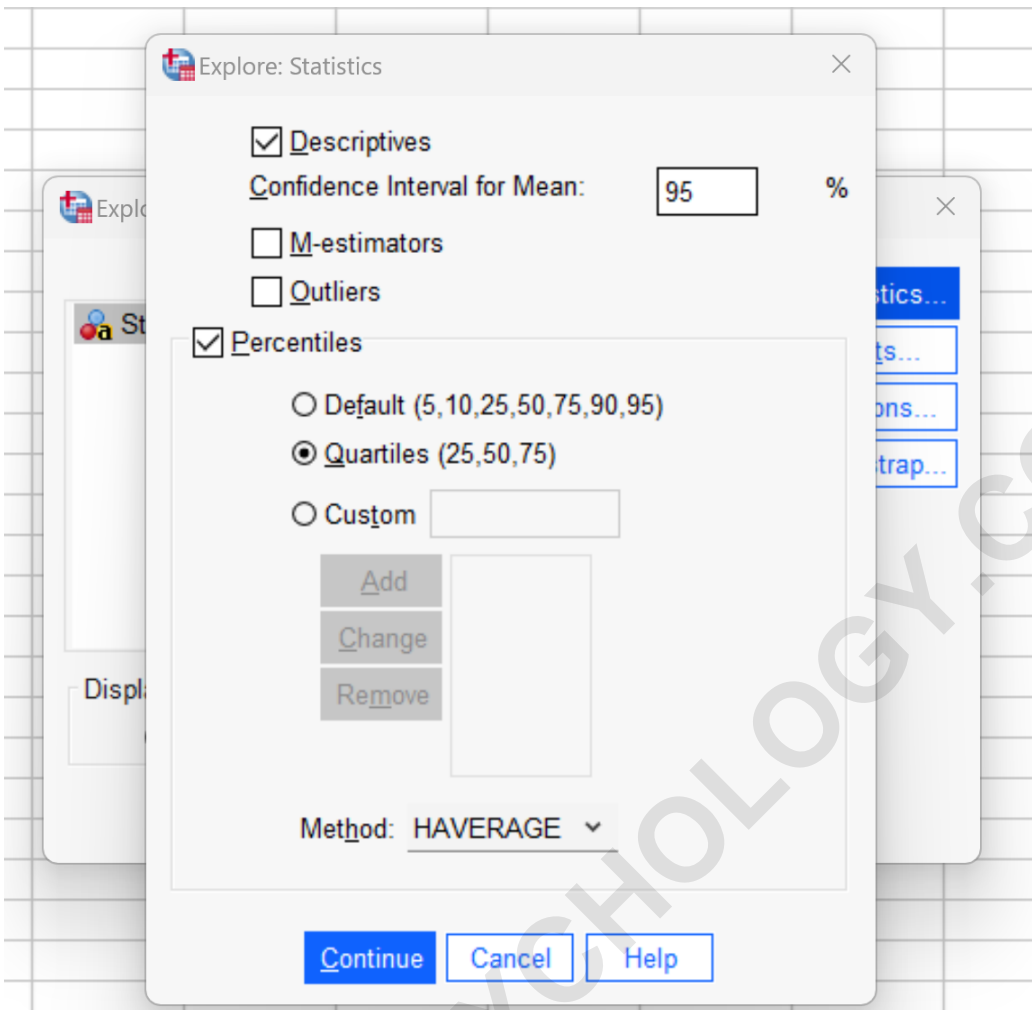
## Ensuring Accurate Quartile Output

Within the **Explore: Statistics** menu, the decision to select **Percentiles** is the key action for IQR calculation. This setting mandates the inclusion of a comprehensive Percentiles table in the output viewer, detailing the distribution points we require.

The necessary actions within the **Explore: Statistics** window are:

Confirm that the checkbox next to **Percentiles** is selected.

If presented with a choice between types of percentiles (e.g., standard, Tukey's Hinges, etc.), ensure the necessary option is selected to yield the standard 25th and 75th percentiles.



Once **Percentiles** is selected, click **Continue** to exit the Statistics window and return to the main **Explore** dialogue box. Finally, click **OK** in the main dialogue box to execute the analysis. **SPSS** will process the request and generate the output results in the separate Output Viewer window, which will contain the detailed tables, charts, and specifically, the percentile table required for the Interquartile Range determination.

## Interpreting the SPSS Output

After running the **Explore** command, the SPSS Output Viewer will display several tables and charts. Locate the table titled **Percentiles**. This table is the direct source for the values needed to compute the IQR. Within this table, you will find rows corresponding to the 25th and 75th percentiles (Q1 and Q3, respectively), providing the exact score values associated with these distributional markers.

## → Explore

### Case Processing Summary

	Valid		Cases Missing		Total	
	N	Percent	N	Percent	N	Percent
Exam_Score	15	100.0%	0	0.0%	15	100.0%

### Descriptives

		Statistic	Std. Error
Exam_Score	Mean	89.67	2.162
95% Confidence Interval for Mean	Lower Bound	85.03	
	Upper Bound	94.30	
	5% Trimmed Mean	90.46	
	Median	92.00	
	Variance	70.095	
	Std. Deviation	8.372	
	Minimum	68	
	Maximum	97	
	Range	29	
	Interquartile Range	10	
	Skewness	-1.551	.580
	Kurtosis	2.230	1.121

### Percentiles

		Percentiles		
		25	50	75
Weighted Average (Definition 1)	Exam_Score	86.00	92.00	96.00
Tukey's Hinges	Exam_Score	87.00	92.00	95.50

Examining the output shown above, we can clearly identify the two critical values necessary for our calculation. According to the **Percentiles** table generated by **SPSS**, the value corresponding to the 25th percentile (Q1) is **86**. Conversely, the value corresponding to the 75th percentile (Q3) is **96**. These values define the boundaries of the middle half of the exam scores. The presence of these specific values validates the successful execution of the **Analyze > Explore** procedure with the **Percentiles** option activated, confirming that the output is ready for the final manual calculation step.

## Manual Verification of the IQR Result

While some statistical packages might provide the IQR directly, in **SPSS** using the standard **Explore** function, the final step involves a simple calculation using the extracted quartile values. The Interquartile Range is calculated as the difference between the 75th percentile (Q3) and the 25th percentile (Q1). This manual step ensures the statistician understands the derivation of the final figure and acts as a direct verification against the software's component outputs.

Based on the output derived from the **Exam\_Score** dataset:

Q3 (75th percentile) = **96**

Q1 (25th percentile) = **86**

The calculation proceeds as follows:

$IQR = Q3 - Q1$

$IQR = 96 - 86$

$IQR = \mathbf{10}$

Therefore, the interquartile range for the exam scores is **10**. This means that the middle 50% of the students scored within a range of 10 points. This result often aligns with an IQR value that might be presented in the initial descriptive statistics table within the same output, confirming the methodological accuracy. However, relying on the explicit percentile values is the most transparent and verifiable method when working with complex statistical distributions.

## Conclusion and Further Resources

Calculating the Interquartile Range in **SPSS** is an essential skill for anyone involved in statistical data analysis, providing a measure of central variability that is highly resistant to extreme values. By consistently employing the **Analyze > Descriptive Statistics > Explore** sequence and ensuring the **Percentiles** option is selected, users can reliably extract the 25th and 75th quartiles needed for the final computation. The resulting IQR value offers powerful insights into the stability and concentration of the majority of the data points, enabling more informed conclusions regarding data spread.

For those looking to expand their proficiency in **SPSS**, understanding how to generate and interpret other key descriptive measures is crucial. The following tutorials explain how to perform other common tasks and analyses frequently required in research and data processing environments: