

How can I understand a categorical by continuous interaction in ologit?

Authored by
stats writer

July 1, 2024

RECOMMENDED CITATION

stats writer (2024). *How can I understand a categorical by continuous interaction in ologit?*. PSYCHOLOGICAL SCALES. Retrieved from <https://scales.arabpsychology.com/?p=164016>

Ologit, or the ordered logit model, is a statistical technique used to analyze and understand relationships between categorical and continuous variables. In order to properly interpret the results of this model, it is important to understand the concept of categorical by continuous interaction. This refers to the effect that a continuous variable has on the relationship between two categorical variables. By examining this interaction, one can gain a deeper understanding of how the continuous variable influences the relationship between the categorical variables. This can help to identify any patterns or trends that may exist and provide insight into the underlying dynamics of the data. Overall, understanding the categorical by continuous interaction in ologit is crucial for accurately interpreting and drawing conclusions from the results of this statistical model.

How can I understand a categorical by continuous interaction in ologit? | Stata FAQ

Interpreting interactions in ologit is similar interpreting interactions in

logit with the complication of multiple equations. We will demonstrate a

categorical by continuous interaction using the hsbdemo dataset. We will

use ses as the response variable. I know that its not a great choice as an

outcome but it is ordinal with values 1, 2 and 3.

use <https://stats.idre.ucla.edu/stat/data/hsbdemo>, clear

`ologit ses i.female##c.read science`

Iteration 0: log likelihood = -210.58254

Iteration 1: log likelihood = -197.30785

Iteration 2: log likelihood = -197.14337

Iteration 3: log likelihood = -197.14305

Iteration 4: log likelihood = -197.14305

Ordered logistic regression Number of obs = 200

LR chi2(4) = 26.88

Prob > chi2 = 0.0000

Log likelihood = -197.14305 Pseudo R2 = 0.0638

-----+-----
ses | Coef. Std. Err. z P>|z|

female |

**female | -2.827935 1.44449 -1.96 0.050 -5.659084
 .0032144**

read | .0134508 .0225948 0.60 0.552 -.0308341 .0577357

|

female#c.read |

**female | .0474638 .0272074 1.74 0.081 -.0058617
 .1007894**

|

**science | .0352044 .0187329 1.88 0.060 -.0015115
 .0719202**

-----+-----

```

/cut1 | 1.014755 1.073606 -1.089474 3.118984
/cut2 | 3.323198 1.102349 1.162633 5.483762

```

The interaction term is statistically significant.

We can use the margins command to get the expected probability that the outcome will be a one for males and females for various values of read.

We have to do this for each of the values of the response variable. After obtaining the predicted probabilities we will plot these using marginsplot.

Let's begin with `ses = 1`.

```

margins female, at(read=(30(5)70)) atmeans noatlegend
predict(outcome(1))

```

Adjusted predictions Number of obs = 200

Model VCE : OIM

Expression : `Pr(ses==1), predict(outcome(1))`

| Delta-method

| Margin Std. Err. z P>|z|

-----+-----

_at#female |

1#male | .2289736 .0969437 2.36 0.018 .0389675 .4189797

1#female | .5473337 .1269408 4.31 0.000 .2985343
.7961331

2#male | .2173171 .0765414 2.84 0.005 .0672987 .3673355

2#female | .4713639 .1035006 4.55 0.000 .2685065
.6742213

3#male | .2060954 .0587678 3.51 0.000 .0909126 .3212782

3#female | .3966979 .0780863 5.08 0.000 .2436515
.5497442

4#male | .1953085 .0447382 4.37 0.000 .1076233 .2829938

4#female | .3265531 .0557585 5.86 0.000 .2172686
.4358377

5#male | .1849547 .0364871 5.07 0.000 .1134413 .2564682

5#female | .2633964 .0416219 6.33 0.000 .181819
.3449737

6#male | .1750304 .0358565 4.88 0.000 .104753 .2453078

6#female | .2086696 .0375323 5.56 0.000 .1351077
.2822316

7#male | .1655305 .041501 3.99 0.000 .08419 .246871

7#female | .1628005 .0388408 4.19 0.000 .086674
.2389271

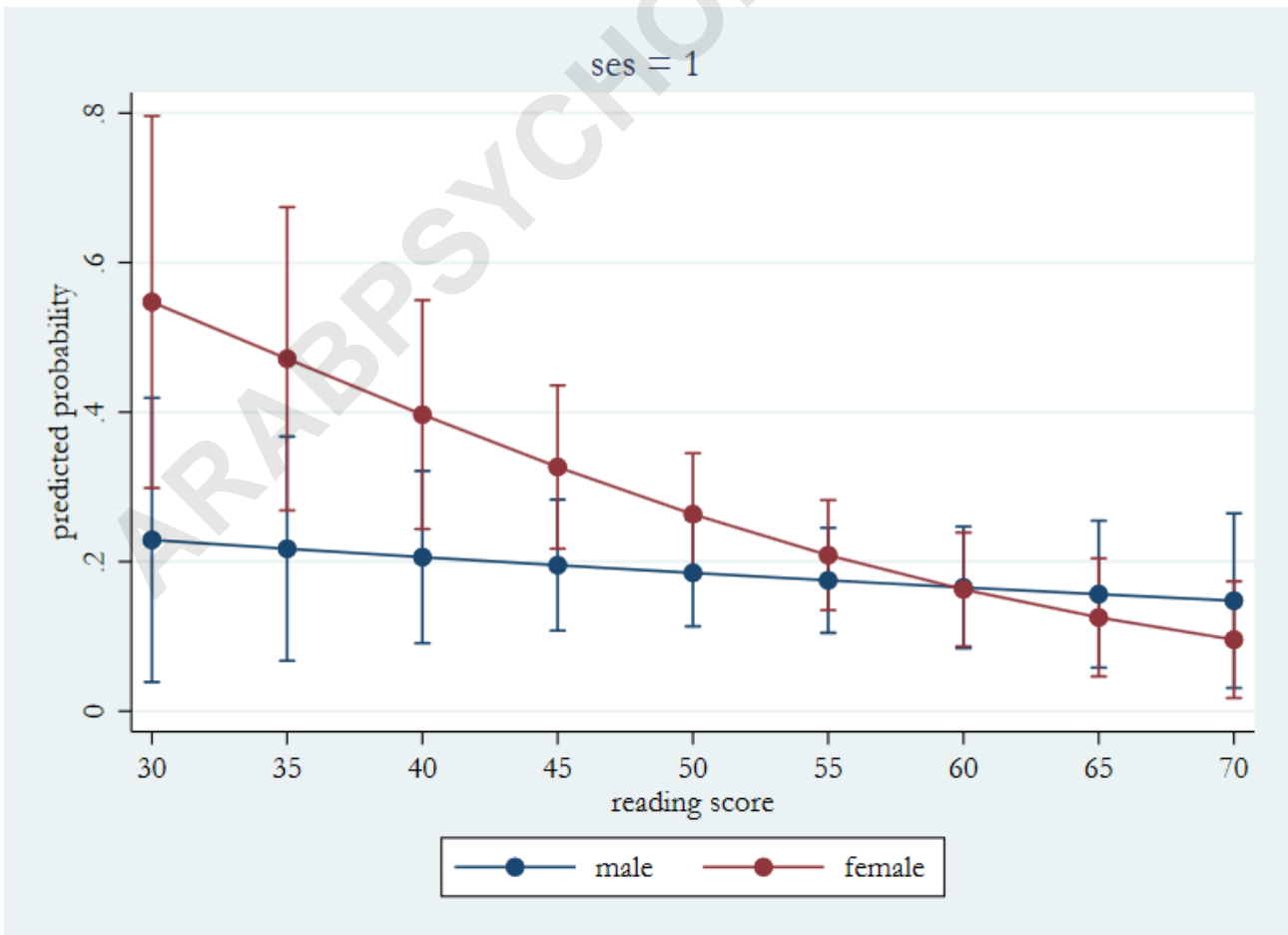
```

8#male | .1564484 .0501496 3.12 0.002 .0581569 .2547399
8#female | .1254162 .0402511 3.12 0.002 .0465256
        .2043069
9#male | .1477763 .0596128 2.48 0.013 .0309374 .2646152
9#female | .0956359 .0398247 2.40 0.016 .017581
        .1736909
    
```

```

-----

marginsplot, x(read) title(ses = 1) ytitle(predicted
probability) ///
ylabel(0(.2).8)          name(ses1,          replace)
    
```



That worked pretty well, so let's repeat it for `ses = 2` and `3`.

```
margins female, at(read=(30(5)70)) atmeans noatlegend
predict(outcome(2))
```

Adjusted predictions Number of obs = 200

Model VCE : OIM

Expression : Pr(`ses==2`), predict(outcome(2))

| Delta-method

| Margin Std. Err. z P>|z|

-----+-----
_at#female |

1#male | .5202219 .0387564 13.42 0.000 .4442608 .596183

1#female | .376692 .0928976 4.05 0.000 .1946161 .558768

2#male | .5190308 .0394899 13.14 0.000 .441632 .5964295

2#female | .4283249 .0705791 6.07 0.000 .2899924
.5666575

3#male | .51699 .0397363 13.01 0.000 .4391082 .5948717

3#female | .4719663 .0511282 9.23 0.000 .3717569
.5721757

4#male | .5141104 .0393479 13.07 0.000 .43699 .5912309

```

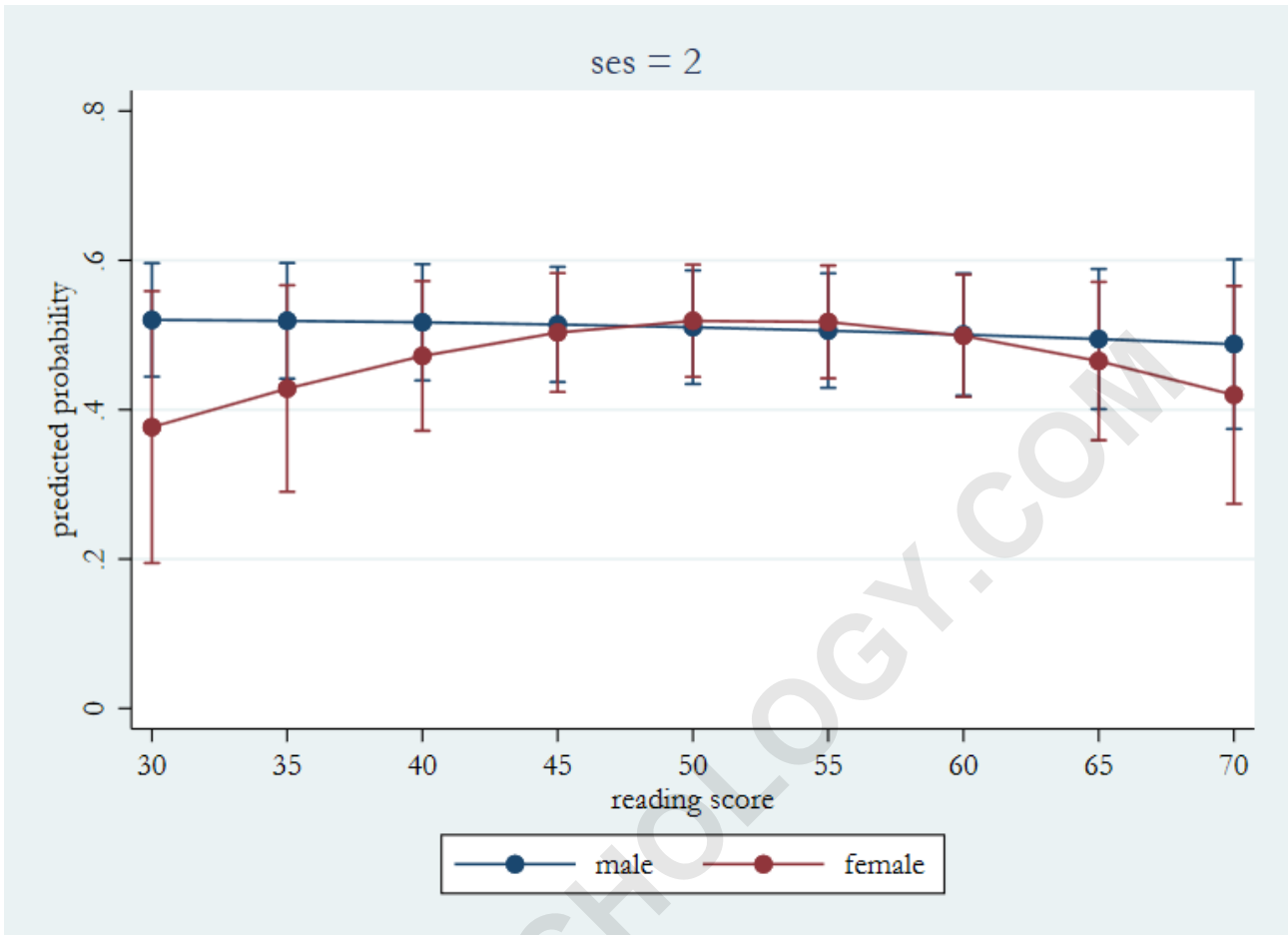
4#female | .5033055 .0406159 12.39 0.000 .4236998
.5829112
5#male | .5104075 .0387839 13.16 0.000 .4343924
.5864226
5#female | .5190623 .038373 13.53 0.000 .4438525
.5942721
6#male | .505901 .039099 12.94 0.000 .4292683 .5825336
6#female | .5175406 .0385338 13.43 0.000 .4420157
.5930654
7#male | .5006147 .0417421 11.99 0.000 .4188016
.5824277
7#female | .4989053 .0418322 11.93 0.000 .4169157
.580895
8#male | .4945765 .0479154 10.32 0.000 .4006639 .588489
8#female | .4651562 .0540699 8.60 0.000 .3591811
.5711312
9#male | .487818 .0579665 8.42 0.000 .3742058 .6014303
9#female | .4197988 .0744192 5.64 0.000 .27394 .5656577
-----

```

```

marginsplot, x(read) title(ses = 2) ytitle(predicted
probability) ///
ylabel(0(.2).8)          name(ses2,          replace)

```



margins female, at(read=(30(5)70)) atmeans noatlegend
 predict(outcome(3))

Adjusted predictions Number of obs = 200

Model VCE : OIM

Expression : Pr(ses==3), predict(outcome(3))

| Delta-method

| Margin Std. Err. z P>|z|

_at#female |

1#male | .2508045 .1028448 2.44 0.015 .0492325 .4523765

1#female | .0759742 .0381832 1.99 0.047 .0011366

.1508118

2#male | .2636521 .0865142 3.05 0.002 .0940873 .433217

2#female | .1003111 .0401995 2.50 0.013 .0215215

.1791007

3#male | .2769147 .0702594 3.94 0.000 .1392087 .4146206

3#female | .1313358 .0403181 3.26 0.001 .0523138

.2103578

4#male | .290581 .0557681 5.21 0.000 .1812776 .3998845

4#female | .1701414 .0387391 4.39 0.000 .0942141

.2460687

5#male | .3046377 .0467844 6.51 0.000 .2129421 .3963334

5#female | .2175413 .0378984 5.74 0.000 .1432618

.2918209

6#male | .3190686 .0485295 6.57 0.000 .2239524 .4141848

6#female | .2737898 .043457 6.30 0.000 .1886156 .358964

7#male | .3338548 .0615257 5.43 0.000 .2132666 .454443

7#female | .3382941 .0591724 5.72 0.000 .2223183

.4542699

8#male | .3489751 .0815056 4.28 0.000 .1892272 .5087231

8#female | .4094276 .0823118 4.97 0.000 .2480995

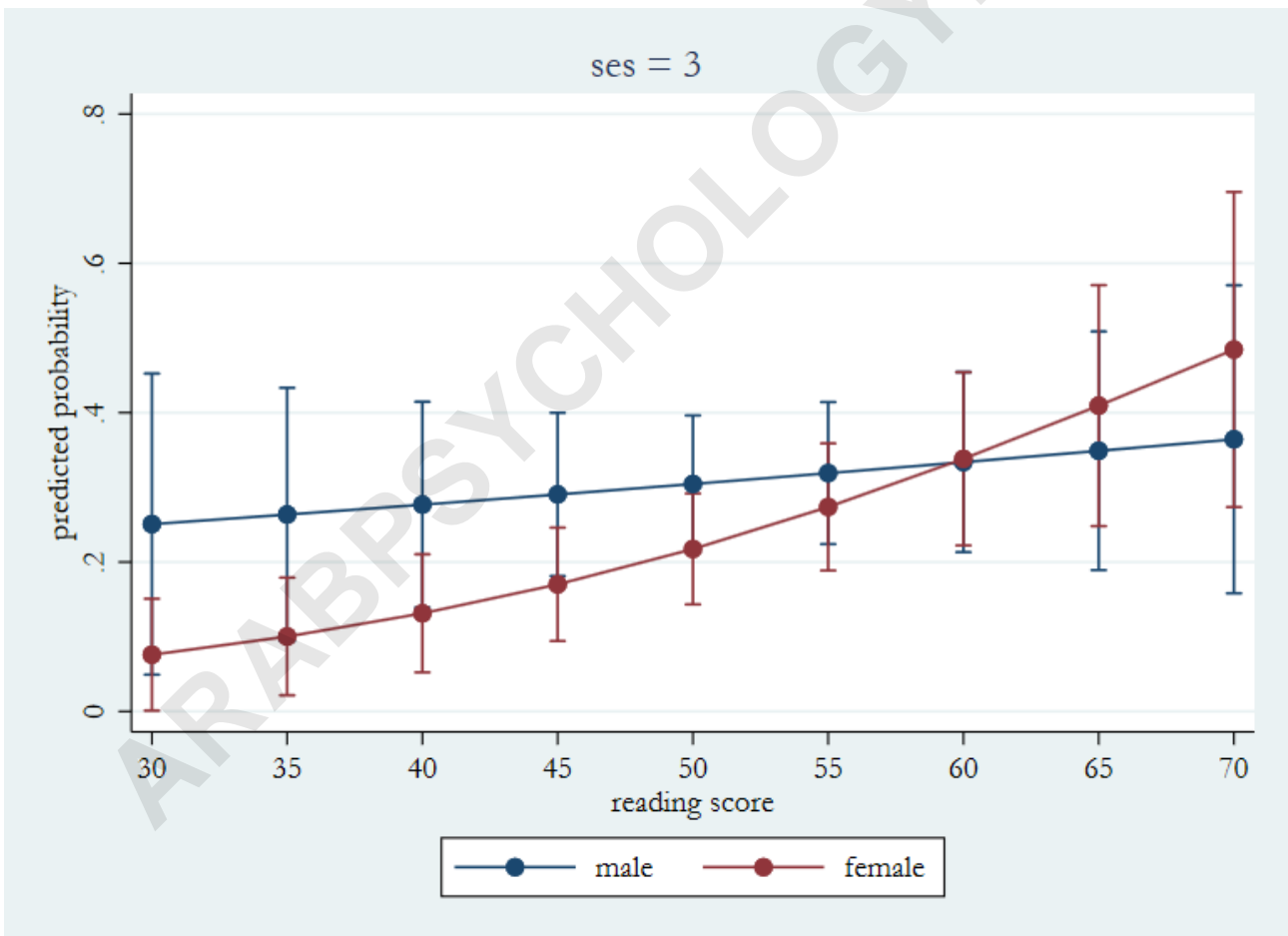
.5707557

```

9#male | .3644056 .1052248 3.46 0.001 .1581689 .5706424
9#female | .4845652 .1076582 4.50 0.000 .273559
.6955714
    
```

```

-----
marginsplot, x(read) title(ses = 3) ytitle(predicted
probability) ///
ylabel(0(.2).8) name(ses3, replace)
    
```



As you can see the patterns of predicted probabilities for the three vales of ses

are very different. The pattern trends down toward the right for $ses = 1$ with females having the higher probabilities. For $ses = 3$ the trend is up toward the right with males having the higher probabilities. While for $ses = 2$ the lines of the predicted probabilities cross over one another.

Another way to look at this is to look at the difference in predicted probabilities between males and females for each value of read by using the `dydx` option.

margins, `dydx(female) at(read=(30(5)70)) atmeans noatlegend predict(outcome(1))`

Conditional marginal effects Number of obs = 200

Model VCE : OIM

Expression : `Pr(ses==1), predict(outcome(1))`

`dy/dx w.r.t. : 1.female`

| Delta-method

| `dy/dx Std. Err. z P>|z|`

-----+-----

0.female | (base outcome)

-----+-----

1.female |

_at |

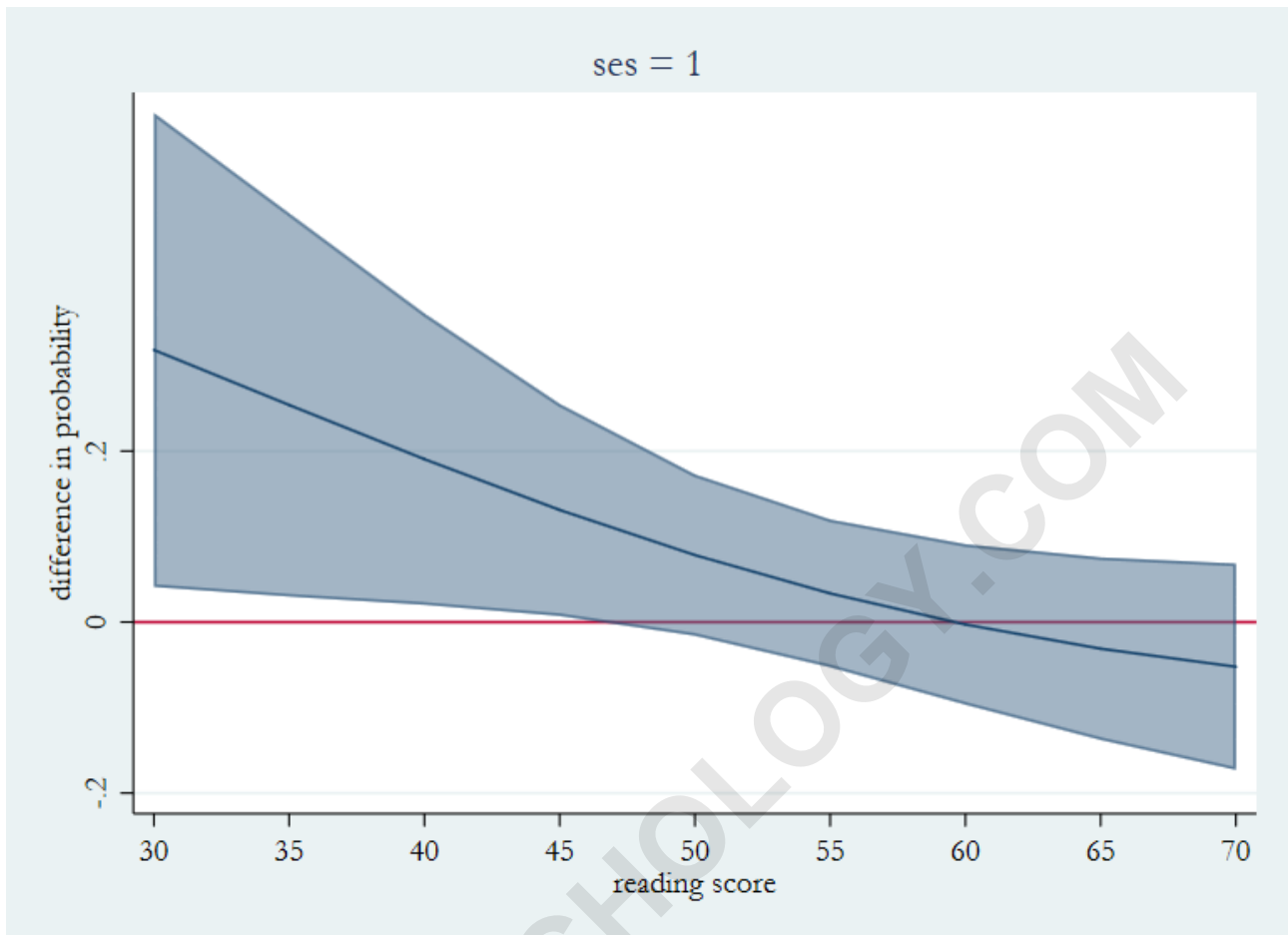
1	.3183601	.1414102	2.25	0.024	.0412011	.5955191
2	.2540468	.1143787	2.22	0.026	.0298686	.478225
3	.1906025	.0869259	2.19	0.028	.0202309	.360974
4	.1312446	.0632798	2.07	0.038	.0072184	.2552708
5	.0784416	.0481498	1.63	0.103	-.0159302	.1728134
6	.0336392	.0441156	0.76	0.446	-.0528258	.1201042
7	-.00273	.04791	-0.06	0.955	-.0966318	.0911719
8	-.0310321	.0545057	-0.57	0.569	-.1378613	.075797
9	-.0521404	.0615919	-0.85	0.397	-.1728584	.0685776

Note: dy/dx for factor levels is the discrete change from the base level.

```

marginsplot, x(read) recast(line) recastci(rarea)
ciopt(color(%50)) ///
title(ses = 1) ytitle(difference in probability) ///
ylabel(-.2(.2).2) yline(0) name(ds1, replace)

```



**margins, dydx(female) at(read=(30(5)70)) atmeans
noatlegend predict(outcome(2))**

Conditional marginal effects Number of obs = 200

Model VCE : OIM

Expression : Pr(ses==2), predict(outcome(2))

dy/dx w.r.t. : 1.female

| Delta-method

| dy/dx Std. Err. z P>|z|

```

-----+-----
0.female | (base outcome)
-----+-----
1.female |
_at |
1 | -.1435299 .0942982 -1.52 0.128 -.3283509 .0412912
2 | -.0907058 .0695967 -1.30 0.192 -.2271128 .0457011
3 | -.0450237 .0443645 -1.01 0.310 -.1319764 .0419291
4 | -.0108049 .0238153 -0.45 0.650 -.0574821 .0358723
5 | .0086548 .0134412 0.64 0.520 -.0176895 .034999
6 | .0116396 .0166958 0.70 0.486 -.0210835 .0443627
7 | -.0017093 .0299499 -0.06 0.954 -.0604101 .0569915
8 | -.0294203 .0511755 -0.57 0.565 -.1297226 .0708819
9 | -.0680192 .0771124 -0.88 0.378 -.2191566 .0831183
-----

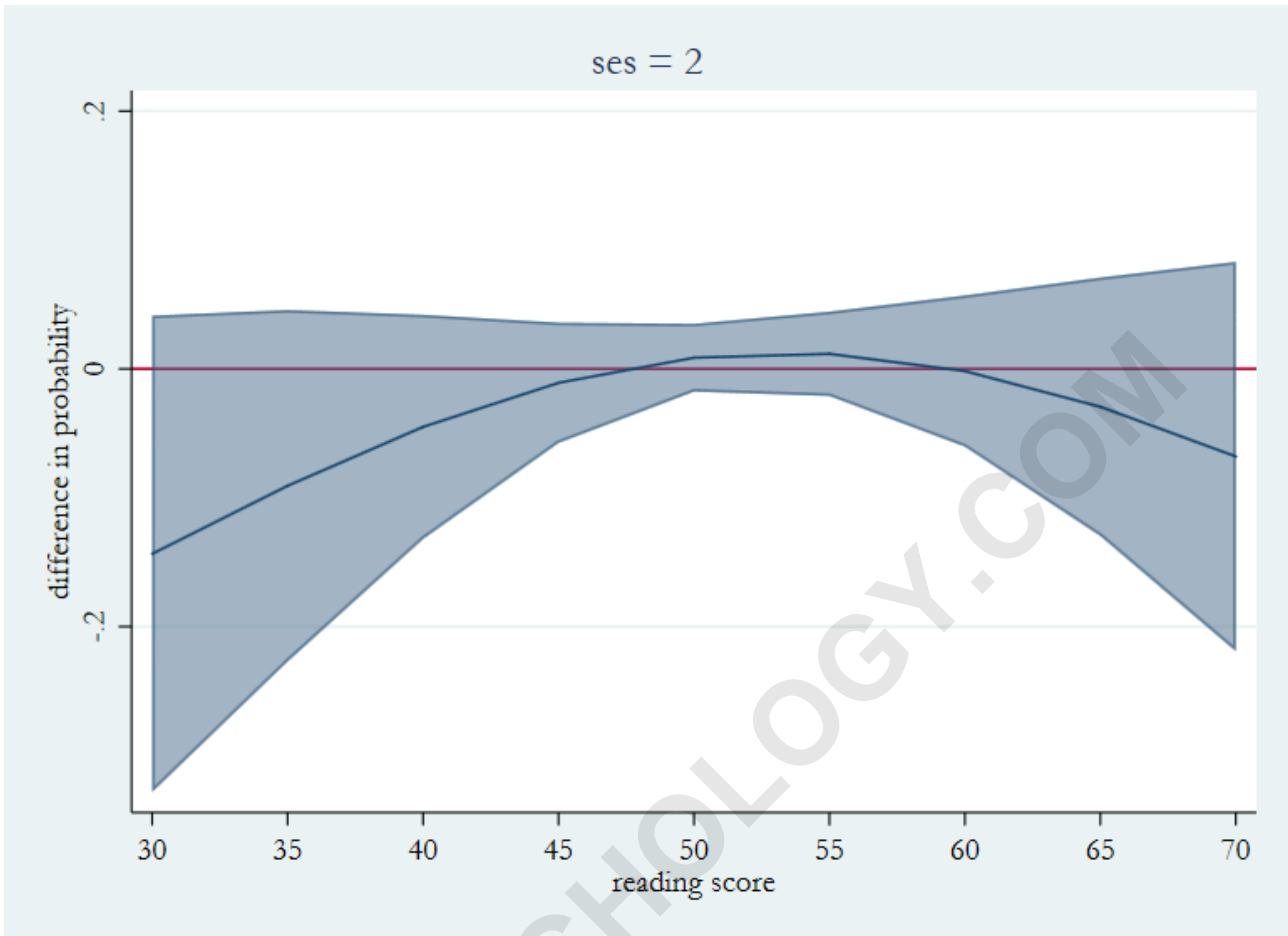
```

Note: dy/dx for factor levels is the discrete change from the base level.

```

marginsplot, x(read) recast(line) recastci(rarea)
ciopt(color(%50)) ///
title(ses = 2) ytitle(difference in probability) ///
ylabel(-.2(.2).2) yline(0) name(dsese2, replace)

```



`margins, dydx(female) at(read=(30(5)70)) atmeans
noatlegend predict(outcome(3))`

Conditional marginal effects Number of obs = 200

Model VCE : OIM

Expression : Pr(ses==3), predict(outcome(3))

dy/dx w.r.t. : 1.female

| Delta-method

| dy/dx Std. Err. z P>|z|

-----+-----

0.female | (base outcome)

-----+-----

1.female |

_at |

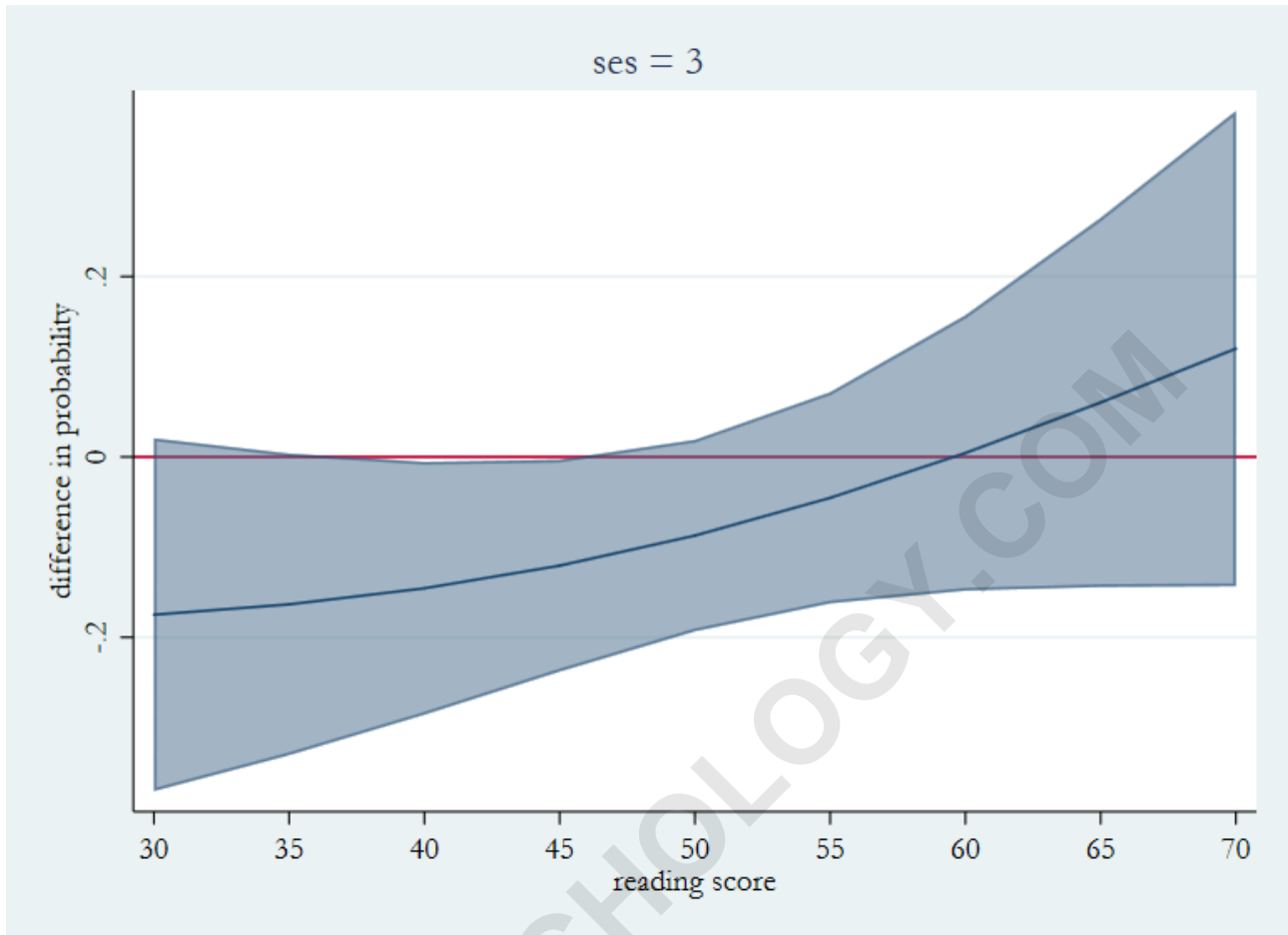
1		-.1748303	.0997897	-1.75	0.080	-.3704146	.020754
2		-.163341	.0852868	-1.92	0.055	-.3305	.003818
3		-.1455788	.0714934	-2.04	0.042	-.2857034	-.0054543
4		-.1204397	.0598967	-2.01	0.044	-.2378351	-.0030442
5		-.0870964	.0541467	-1.61	0.108	-.1932219	.0190291
6		-.0452788	.0597056	-0.76	0.448	-.1622995	.071742
7		.0044393	.0778516	0.06	0.955	-.148147	.1570255
8		.0604525	.104374	0.58	0.562	-.1441169	.2650218
9		.1201596	.1343573	0.89	0.371	-.143176	.3834951

Note: dy/dx for factor levels is the discrete change from the base level.

```

marginsplot, x(read) recast(line) recastci(rarea)
ciopt(color(%50)) ///
title(ses = 3) ytitle(difference in probability) ///
ylabel(-.2(.2).2) yline(0) name(ds3, replace)

```



This time the difference in the three plots is more subtle. For $ses = 1$ all of the differences are positive and grow smaller as you move from left to right. For $ses = 3$ the differences are all negative and grow slightly large as read increases.

For $ses = 2$ the difference in probability start off negative becoming positive around $read = 50$.