

How can I perform mediation with multilevel data in Stata?

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July 1, 2024

RECOMMENDED CITATION

stats writer (2024). *How can I perform mediation with multilevel data in Stata?*.

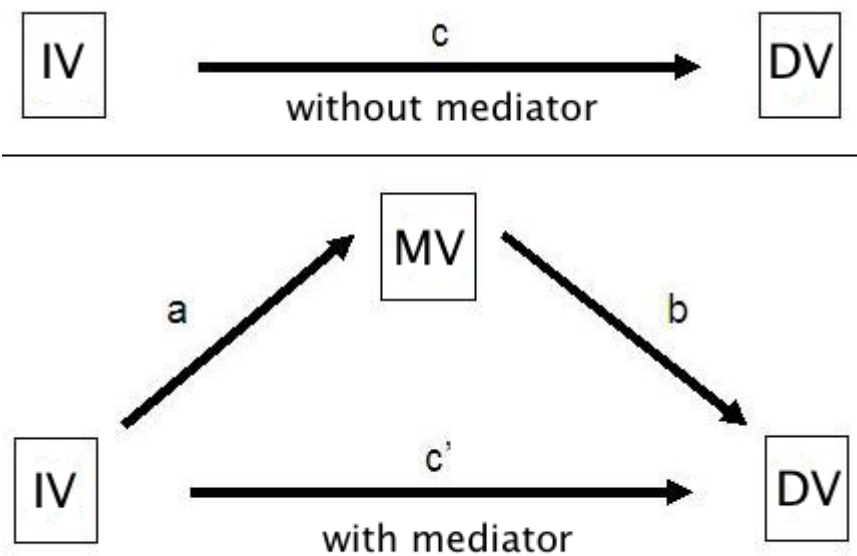
PSYCHOLOGICAL SCALES. Retrieved from <https://scales.arabpsychology.com/?p=163833>

Mediation analysis is a statistical method used to understand the relationship between two variables by examining the role of a third variable, known as the mediator. In Stata, mediation with multilevel data refers to the process of examining the mediating effect of a variable at both the individual level and the group level simultaneously. This allows for a more comprehensive understanding of the mediation process and how it may vary across different levels of analysis. To perform mediation with multilevel data in Stata, one must use specialized commands such as "gllamm" or "xtmelogit" to account for the nested structure of the data. Additionally, Stata offers various tools and techniques, such as bootstrapping and Monte Carlo simulations, to test the significance of the mediating effect. Overall, using Stata for mediation with multilevel data allows researchers to gain a deeper understanding of the complex relationships between variables at different levels of analysis.

How can I perform mediation with multilevel data? (Method 1) | Stata FAQ

NOTE: We are not fully confident that the methods on this page are valid for testing for mediated effects in multilevel models. Proceed at your own risk.

Mediator variables are variables that sit between the independent variable and dependent variable and mediate the effect of the IV on the DV. A model with one mediator is shown in the figure below.



The idea, in mediation analysis, is that some of the effect of the predictor variable, the IV, is transmitted to the DV through the mediator variable, the MV. And some of the effect of the IV passes directly to the DV. That portion of the effect of the IV that passes through the MV is the indirect effect. The program `ml_mediation` (see [How can I use the search command to search for programs and get additional help?](#) for more information about using search). will compute direct and indirect effects for multilevel data. The approach used in `ml_mediation` was adapted from Krull & MacKinnon (2001).

When you have multilevel data, the variables may come

from different levels of the model. The DV will always be a level one variable. Depending on your data, the IV and MV may be either level 1 or level 2 variables. According to Krull & MacKinnon (2001) a predictor variable may be mediated by a variable at the same level or lower. Thus a level 2 mediator may be mediated by a level 2 or level 1 variable. A level 1 predictor may only be mediated by another level 1 variable. Logically, a level 1 predictor cannot affect a level 2 mediator.

`ml_mediation` computes the indirect effect as the product of coefficients, i.e., indirect effect = coef*coef. When the response variable is at level 1, `ml_mediation` uses the `xtmixed, reml` command by default with `xtmixed, mle` as an option. When the response variable is at level 2, i.e., the MV is level 2, `ml_mediation` uses the `xtreg, be` command. The `ml_mediation` program will detect which variables are level 1 and which are level 2.

The DV and MV must be a continuous variables. The IV may be a continuous or binary predictor variable. While the CVs may be continuous, binary or factor variables.

We will illustrate the use of the `ml_mediation` command

with a simulated multilevel dataset, `ml_med.dta`.. Let's look at the data.

use `https://stats.idre.ucla.edu/stat/data/ml_med`, clear
`summarize, sep(0) /* descriptive statistics */`

Variable	Obs	Mean	Std. Dev.	Min	Max
id	200	100.5	57.87918	1	200
write	200	52.775	9.478586	31	67
socst	200	52.405	10.73579	26	71
cid	200	10.43	5.801152	1	20
abil	200	156.725	25.75063	104	215
mean_abil	200	156.725	25.21654	114.0909	205.7
mean_ses	200	2.055	.3142828	1.444444	2.727273
hon	200	.545	.4992205	0	1

The variables `write`, `socst`, `abil` and `hon` are all level 1 variables. The variable `cid` is the cluster, level 2, identifier, while `hon` is a binary variable that indicates membership in the honor society. `Abil` is a composite measure of academic ability. Now, we are ready to try a multilevel mediation model in which all of the variables are at level 1.

ml_mediation, dv(write) iv(hon) mv(abil) l2id(cid)

Equation 1 (c_path): write = hon

Performing EM optimization:

Performing gradient-based optimization:

Iteration 0: log restricted-likelihood = -628.62552

Iteration 1: log restricted-likelihood = -628.62552

Computing standard errors:

Mixed-effects REML regression Number of obs = 200

Group variable: cid Number of groups = 20

Obs per group: min = 7

avg = 10.0

max = 12

Wald chi2(1) = 32.80

Log restricted-likelihood = -628.62552 Prob > chi2 = 0.0000

write 	Coef.	Std. Err.	z	P> z
----------------	--------------	------------------	----------	-----------------

+

```

hon | 4.138289 .7225934 5.73 0.000 2.722032 5.554546
_cons | 50.64367 1.84665 27.42 0.000 47.0243 54.26304
-----
-----

```

Random-effects Parameters | Estimate Std. Err.

```
-----+-----
cid: Identity |
```

```
sd(_cons) | 7.91701 1.331807 5.693395 11.00908
-----+-----
```

```
sd(Residual) | 4.823492 .2549056 4.34889 5.349889
-----
```

LR test vs. linear regression: $\text{chibar2}(01) = 191.99$ Prob
 $\geq \text{chibar2} = 0.0000$

Equation 2 (a_path): $\text{abil} = \text{hon}$

Performing EM optimization:

Performing gradient-based optimization:

Iteration 0: log restricted-likelihood = -659.69204

Iteration 1: log restricted-likelihood = -659.69204

Computing standard errors:

Mixed-effects REML regression Number of obs = 200

Group variable: cid Number of groups = 20

Obs per group: min = 7

avg = 10.0

max = 12

Wald chi2(1) = 31.36

Log restricted-likelihood = -659.69204 Prob > chi2 = 0.0000

abil | Coef. Std. Err. z P>|z|
 -----+-----

hon | -4.265397 .7616216 -5.60 0.000 -5.758148 -2.772647

**_cons | 159.3095 5.751541 27.70 0.000 148.0367
 170.5823**

Random-effects Parameters | Estimate Std. Err.
 -----+-----

cid: Identity |

sd(_cons) | 25.60223 4.169551 18.60596 35.22926
 -----+-----

sd(Residual) | 5.074532 .2681952 4.575188 5.628375

**LR test vs. linear regression: chibar2(01) = 537.80 Prob
>= chibar2 = 0.0000**

Equation 3 (b_path & c_prime): write = abil hon

Performing EM optimization:

Performing gradient-based optimization:

Iteration 0: log restricted-likelihood = -528.74216

Iteration 1: log restricted-likelihood = -528.74216

Computing standard errors:

Mixed-effects REML regression Number of obs = 200

Group variable: cid Number of groups = 20

Obs per group: min = 7

avg = 10.0

max = 12

Wald chi2(2) = 665.58

**Log restricted-likelihood = -528.74216 Prob > chi2 =
0.0000**

write | Coef. Std. Err. z P>|z|

-----+-----
**abil | -.8056925 .0348556 -23.12 0.000 -.8740083 -
 .7373768**

hon | .671848 .3882241 1.73 0.084 -.0890572 1.432753

**_cons | 179.0213 8.446553 21.19 0.000 162.4664
 195.5763**

Random-effects Parameters | Estimate Std. Err.

-----+-----
cid: Identity |

sd(_cons) | 28.44004 4.705583 20.56333 39.33388

-----+-----
sd(Residual) | 2.38897 .1268631 2.152825 2.651018

**LR test vs. linear regression: chibar2(01) = 247.90 Prob
 >= chibar2 = 0.0000**

The mediator, abil, is a level 1 variable

c_path = 4.1382892

a_path = -4.2653975

b_path = -.80569254

c_prime = .67184798 same as dir_eff

ind_eff = 3.4365989

dir_eff = .67184798

tot_eff = 4.1084469

proportion of total effect mediated = .83647154

ratio of indirect to direct effect = 5.1151437

ratio of total to direct effect = 6.1151437

The output includes the results of three equations: 1) the DV on the IV, 2) the MV on the IV, and 3) the DV on the MV and IV. The direct, indirect and total effects along with various proportions and ratios are shown below the results of the three equations.

We see that hon is significant in equation 1 and is also a significant predictor of the mediator variable, abil, in equation 2. However, hon is not significant in equation 3 when the mediator is included in the model. This suggests that there is mediation. The output includes the indirect, direct and total effects. It does not however include standard errors or confidence intervals. To get these you need to bootstrap the results. You can

bootstrap any of the effects found in the return list.

return list

scalars:

r(tot_eff) = 4.108446903443488

r(dir_eff) = .6718479771360948

r(ind_eff) = 3.436598926307393

r(b_path) = -.8056925398919483

r(a_path) = -4.265397476273364

r(c_path) = 4.13828918116252

We will illustrate this by bootstrapping the ml_mediation command with 500 replications. You may want to do more than 500 reps, maybe a lot more. You will probably also want to use a different seed value. Please note that we are bootstrapping cluster so we need the cluster option. We also need to give the clusters a new id when they are resampled, thus the idcluster option. Note that we now have to use the new cluster name, ncid, in the ml_mediation command.

```
bootstrap   indeff=r(ind_eff)   direff=r(dir_eff)  
toteff=r(tot_eff), ///  
reps(500) seed(1) cluster(cid) idcluster(ncid): ///
```

```
ml_mediation, dv(write) iv(hon) mv(abil) l2id(ncid)
```

Bootstrap results Number of obs = 200

Replications = 500

```
command: ml_mediation, dv(write) iv(hon) mv(abil)
l2id(ncid)
```

```
indef: r(ind_eff)
```

```
direff: r(dir_eff)
```

```
toteff: r(tot_eff)
```

(Replications based on 20 clusters in cid)

| Observed Bootstrap Normal-based

| Coef. Std. Err. z P>|z|

-----+-----
indef | 3.436599 .7181118 4.79 0.000 2.029126 4.844072

direff | .671848 .3500109 1.92 0.055 -.0141608 1.357857

toteff | 4.108447 .7714546 5.33 0.000 2.596424 5.62047

If you have concerns about the normal based confidence intervals, you can obtain percentile or bc confidence intervals with the estat boot command.

estat boot, percentile bc**Bootstrap results Number of obs = 200****Replications = 500****command: ml_mediation, dv(write) iv(hon) mv(abil)****l2id(ncid)****indeff: r(ind_eff)****direff: r(dir_eff)****toteff: r(tot_eff)****(Replications based on 20 clusters in cid)****| Observed Bootstrap****| Coef. Bias Std. Err.**

	Observed	Bootstrap	Coef.	Bias	Std. Err.
indeff	3.4365989	.0173307	.71811179	2.092823	5.00083
direff	.67184798	-.0004241	.35001093	.0312456	1.423976
toteff	4.1084469	.0169066	.77145463	2.610976	5.739329

(P)**| 2.18301 5.032196 (BC)****(P)****| .0567802 1.446936 (BC)****(P)****| 2.601489 5.61782 (BC)**

(P) percentile confidence interval

(BC) bias-corrected confidence interval

Based on the confidence intervals it appears that the direct, indirect and total effects are statistically significant at the alpha equal .05 level.

References

Krull, J.L. & MacKinnon, D.P. (2001) Multilevel modeling of individual and group level mediated effects. *Multivariate Behavioral Research*, 36(2), 249-277.